

For the function: $f(x) = \frac{1}{2}x^2 - 8x$

a. Sketch the function

b. State the type of function

c. Identify on the sketch and state the y-intercept here: (____, ____)

d. Identify on the sketch and state here any vertex or local max / mins (____, ____); (____, ____); ...

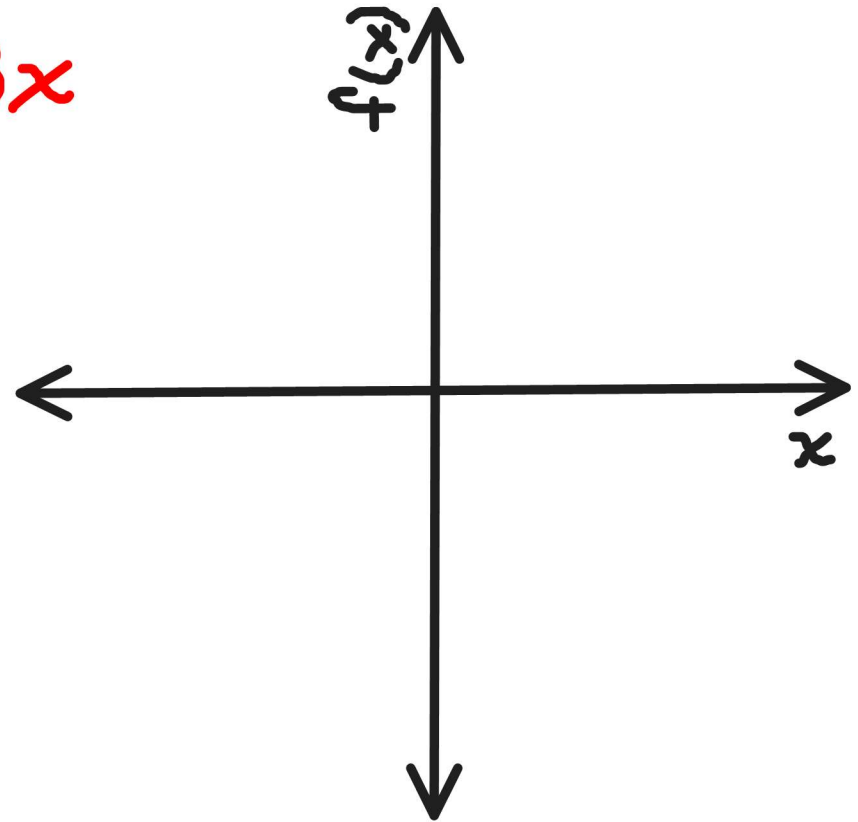
e. Identify the zeros (aka: roots, x-intercepts)

(____, ____); (____, ____); ...

f. State the domain and range:

Domain: { _____ < x < _____ }

Range: { _____ < f(x) < _____ }



g. Indicate 'end behaviour' of the function

$x \rightarrow \infty, y \rightarrow \underline{\hspace{2cm}}$
 $x \rightarrow -\infty, y \rightarrow \underline{\hspace{2cm}}$

h. discuss any symmetry

j. When does $f(x) = 4$?

For the function: $g(x) = x^3 - 5x$

a. Sketch the function

b. State the type of function

c. Identify on the sketch and state the y-intercept here: (____, ____)

d. Identify on the sketch and state here any vertex or local max / mins (____, ____); (____, ____); ...

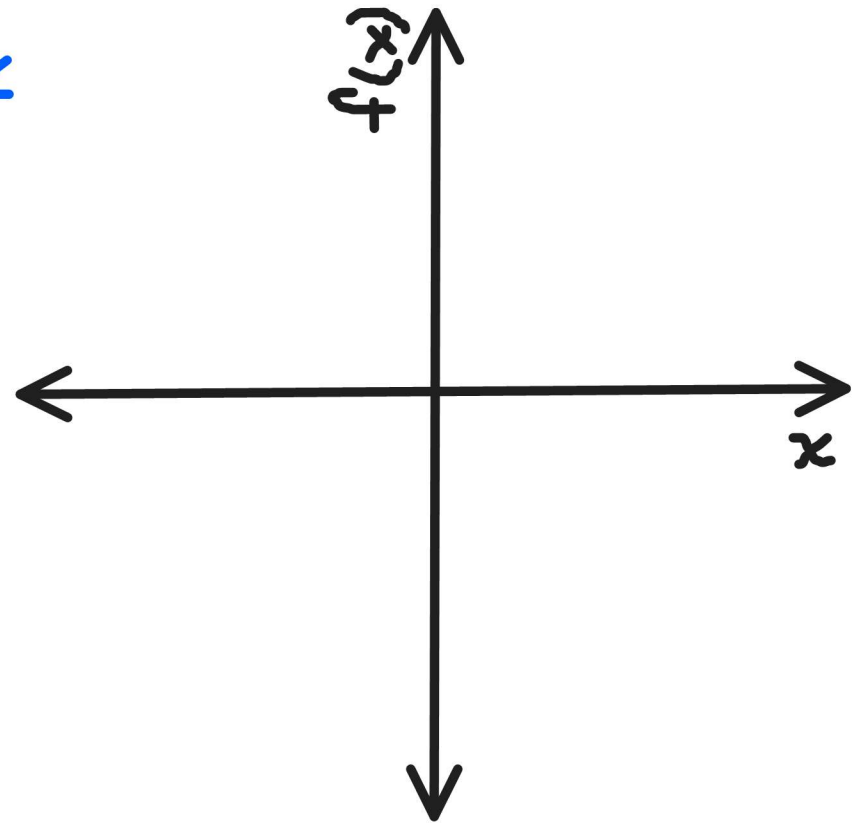
e. Identify the zeros (aka: roots, x-intercepts)

(____, ____); (____, ____); ...

f. State the domain and range:

Domain: { _____ < x < _____ }

Range: { _____ < f(x) < _____ }



g. Indicate 'end behaviour' of the function

$x \rightarrow \infty, y \rightarrow \underline{\hspace{2cm}}$
 $x \rightarrow -\infty, y \rightarrow \underline{\hspace{2cm}}$

h. discuss any symmetry

j. When does $g(x) = 2$?

For the function: $f(x) = \frac{1}{2}x^2 - 8x$

a. Sketch the function ✓

b. State the type of function

_____ **quadratic**

c. Identify on the sketch and state the y-intercept here:

(0, 0) **ORIGIN.**

d. Identify on the sketch and state here any vertex or local max / mins

(8, -32)

e. Identify the zeros (aka: roots, x-intercepts)

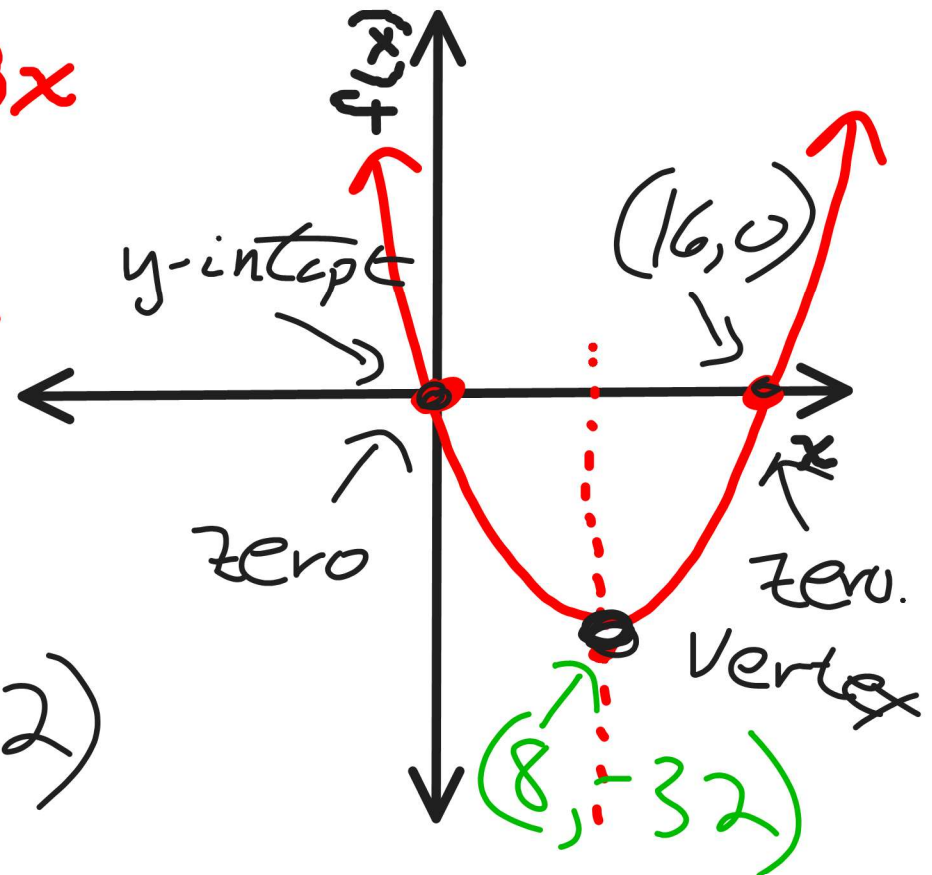
(0, 0); (16, 0), ...

f. State the domain and range:

Domain: { $-\infty$ < x < ∞ }

Range: { -32 < f(x) < ∞ }

j. When does $f(x) = 4$?
(next)



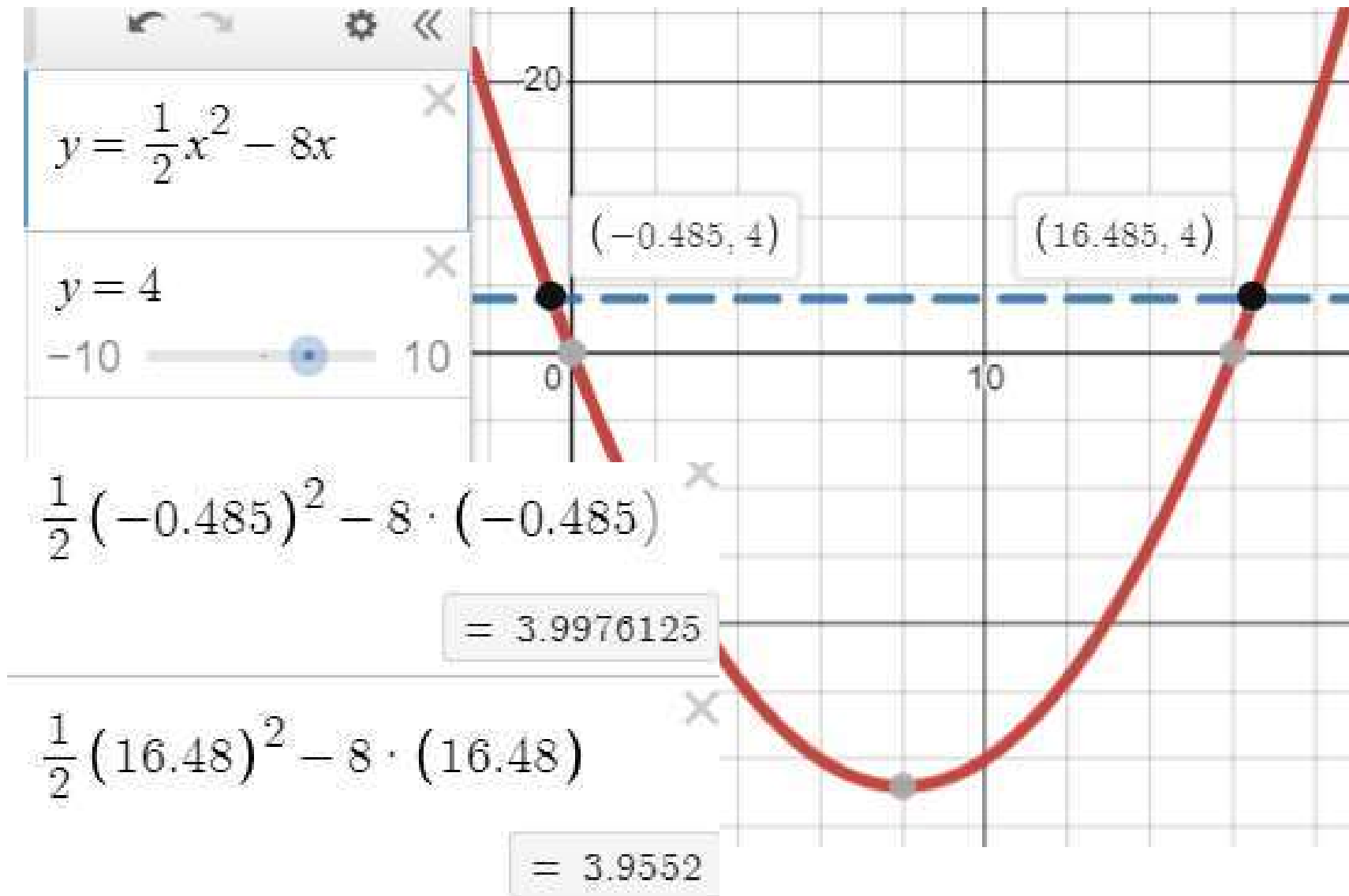
g. Indicate 'end behaviour' of the function

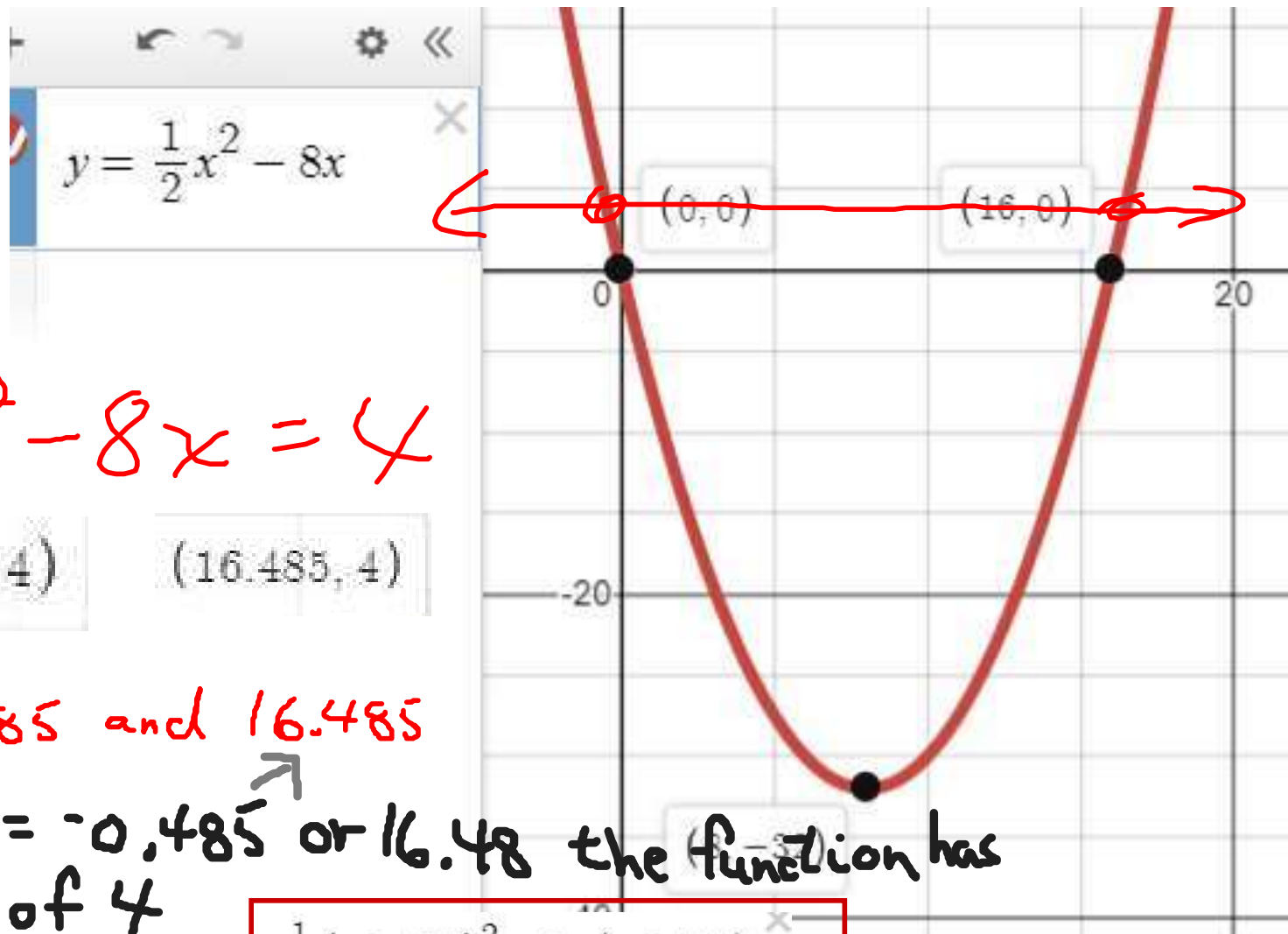
$x \rightarrow \infty, y \rightarrow +\infty$
 $x \rightarrow -\infty, y \rightarrow +\infty$

h. discuss any symmetry

symmetric to left and right of axis of symmetry

Solve for x : $\frac{1}{2}x^2 - 8x = 4$





$$\frac{1}{2}x^2 - 8x = 4$$

$(-0.485, 4)$

$(16.485, 4)$

$x = -0.485$ and 16.485

When $x = -0.485$ or 16.48 the function has a value of 4.

$$\frac{1}{2}(-0.485)^2 - 8 \cdot (-0.485)$$

$= 3.9976125$

$$\frac{1}{2}(16.48)^2 - 8 \cdot (16.48)$$

$= 3.9552$

Won't evaluate to exactly 4 since the solution is not exact

For the function: $g(x) = x^3 - 5x$

a. Sketch the function

b. State the type of function

Cubic $1x^3 + 0x^2 + -5x + 0$

c. Identify on the sketch

and state the y-intercept

here: $(0, 0)$ $g(0) = (0)^3 - 5(0)$

d) Identify on the sketch and state here

any vertex or local max / mins

$(-1.29, -4.30)$; $(1.29, +4.30)$; ...
min ↑

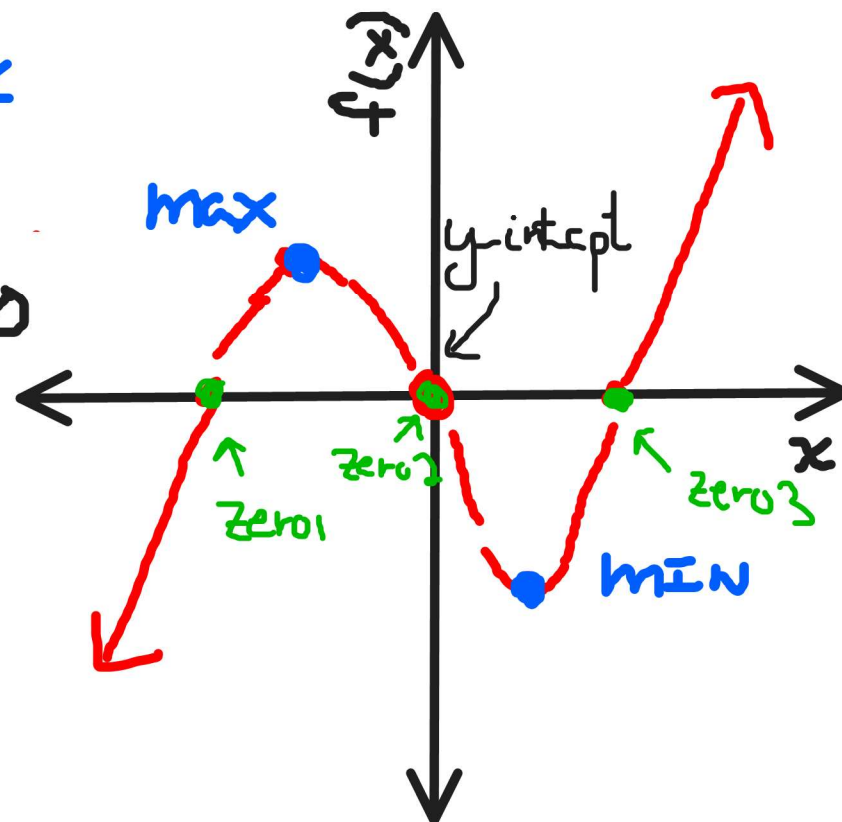
e. Identify the zeros (aka: roots, x-intercepts)

$(-2.24, 0)$; $(0, 0)$; $(+2.24, 0)$

f.) State the domain and range:

Domain: $\{ -\infty < x < +\infty \}$

Range: $\{ -\infty < f(x) < +\infty \}$



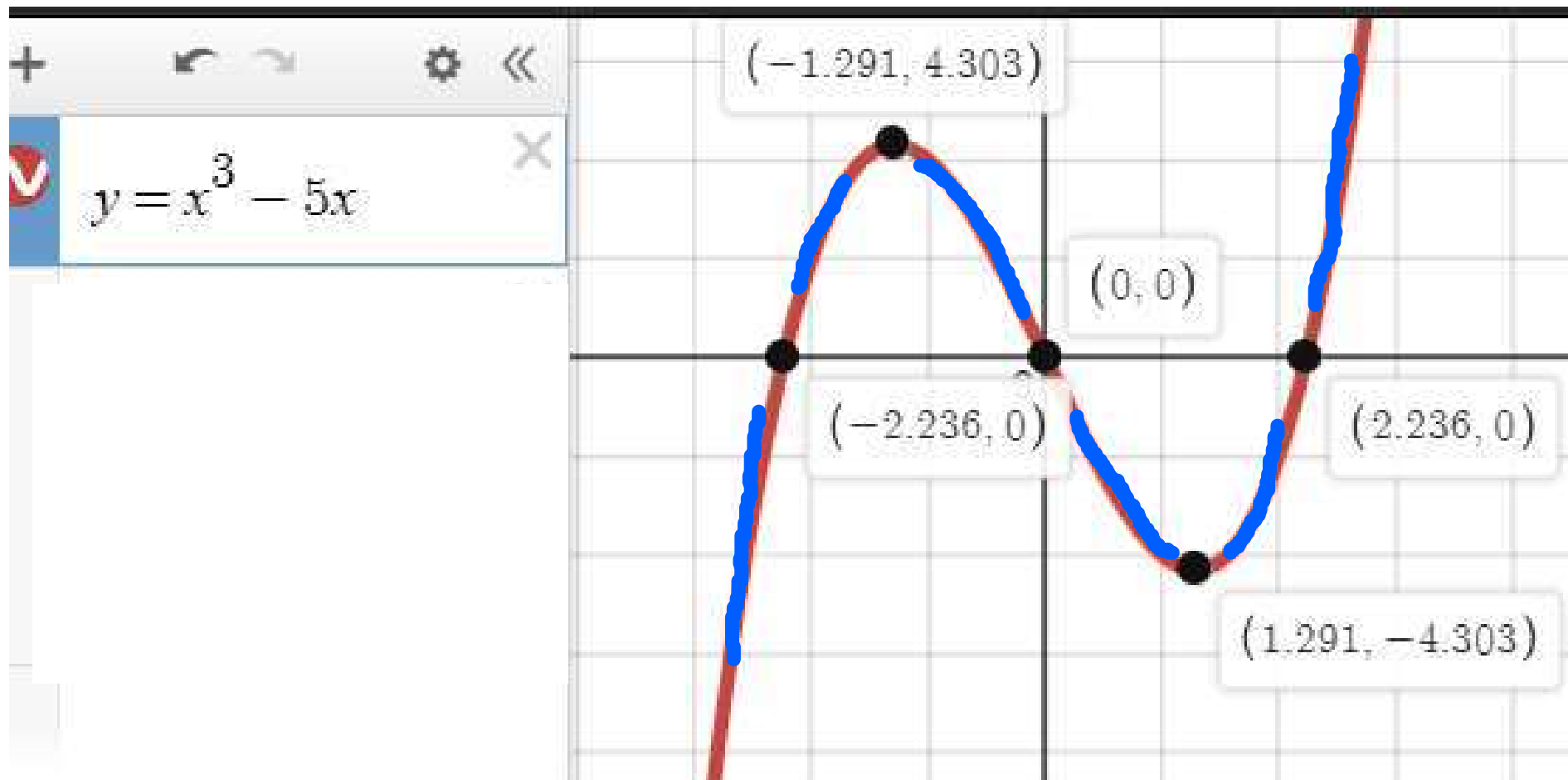
g.) Indicate 'end behaviour' of the function

$x \rightarrow \infty, y \rightarrow +\infty$
 $x \rightarrow -\infty, y \rightarrow -\infty$

h. discuss any symmetry

rotational symmetry

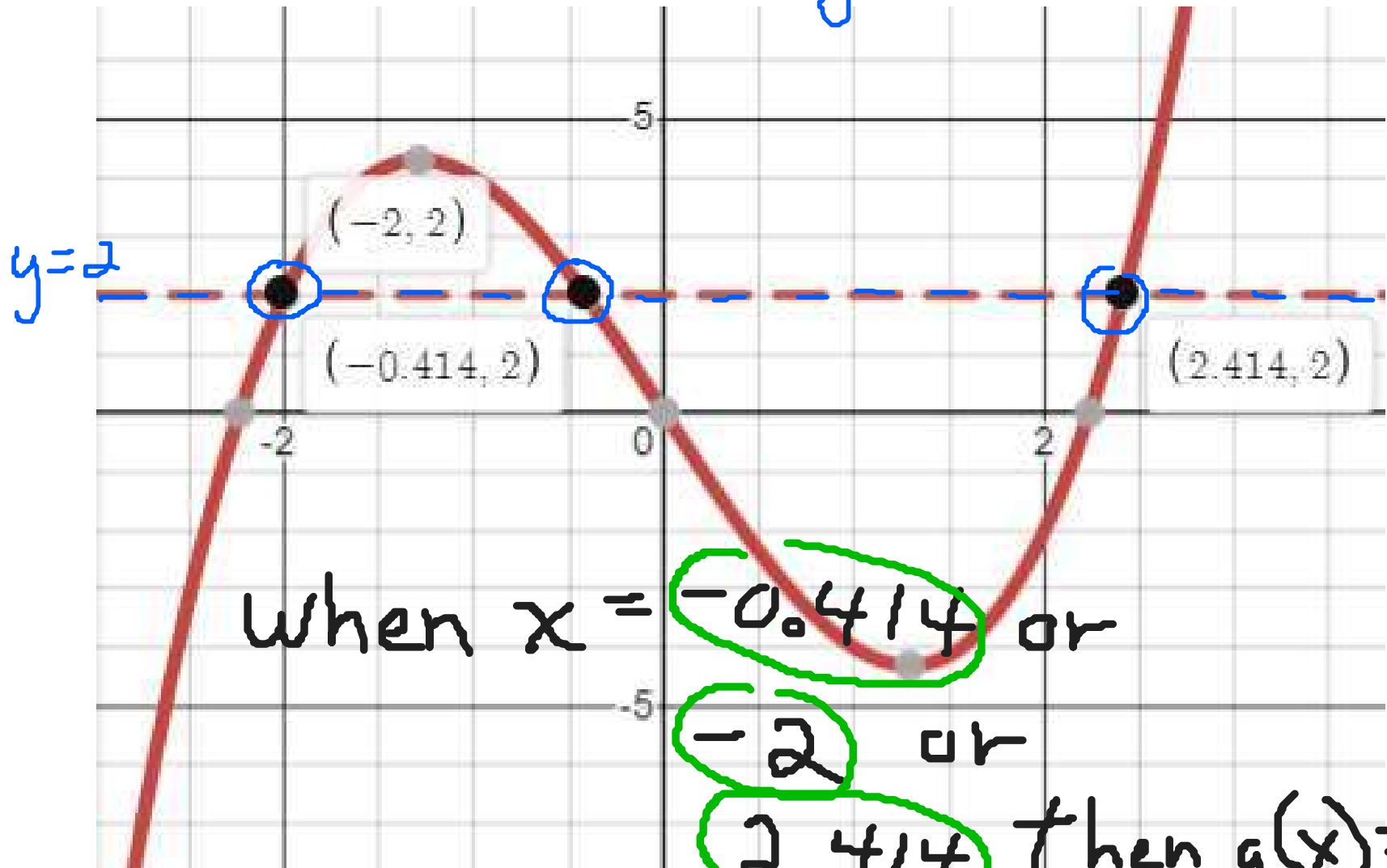
j. When does $g(x) = 2$?



Curious!?
Seems symmetrical
remember Grade 10 Transforms?
rotating shapes?

$g(x)$

Solve: $g(x) = 2$



When $x = -0.414$ or

-2 or

2.414 then $g(x) = 2$