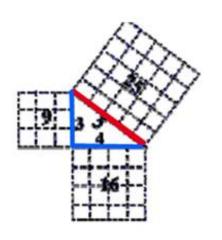


The Magic of the Right Triangle





FUNDAMENTAL

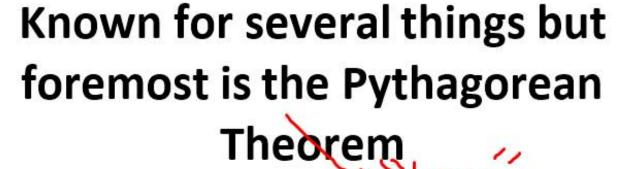


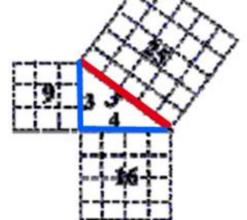
CRITICAL

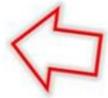


2500 years ago!

A teacher Maybe even a gangster



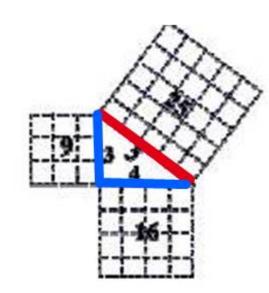


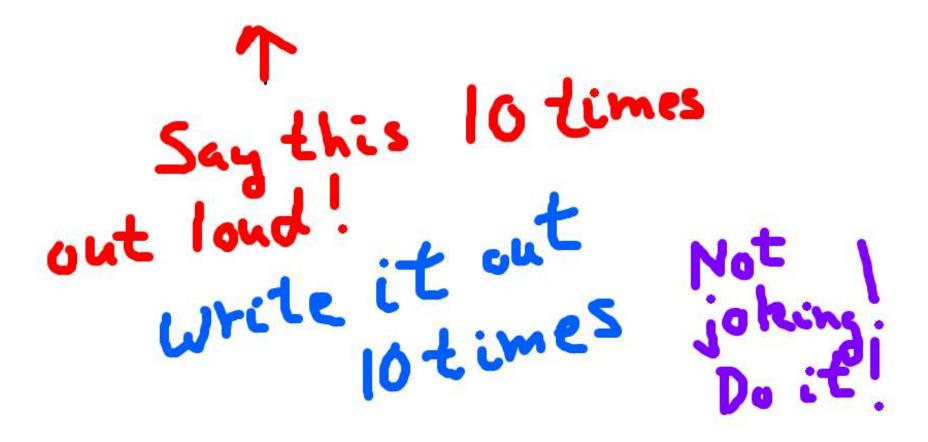


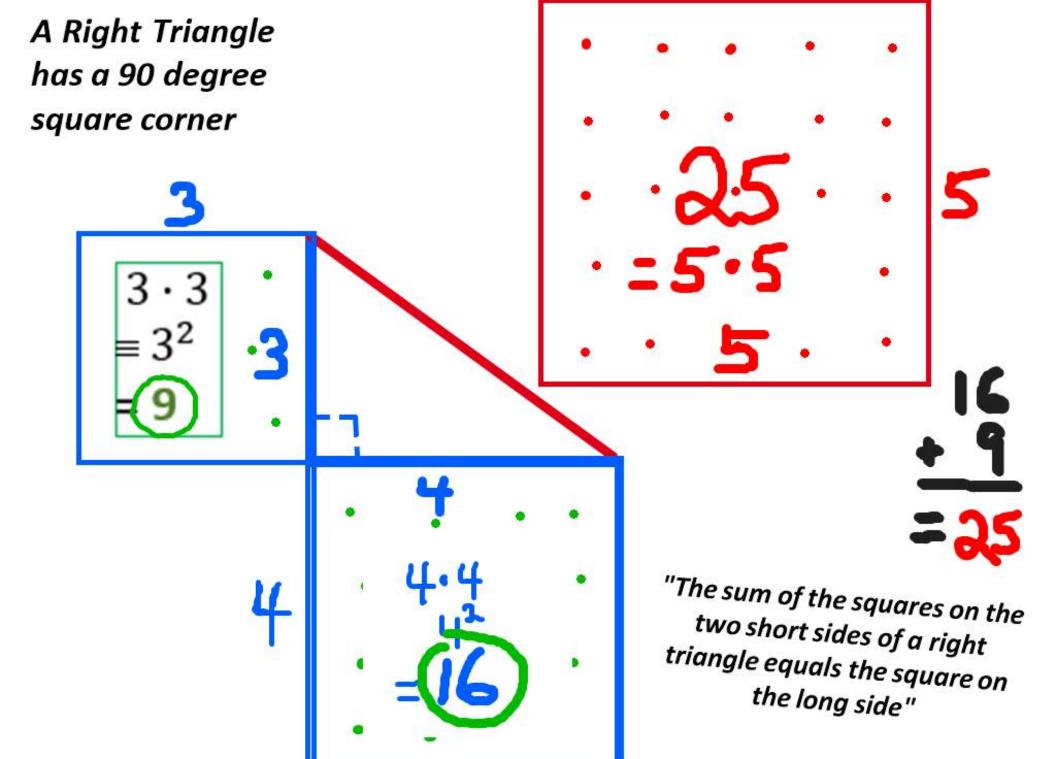
There it is!!!!



"The sum of the squares on the two short sides of a right triangle equals the square on the long side"



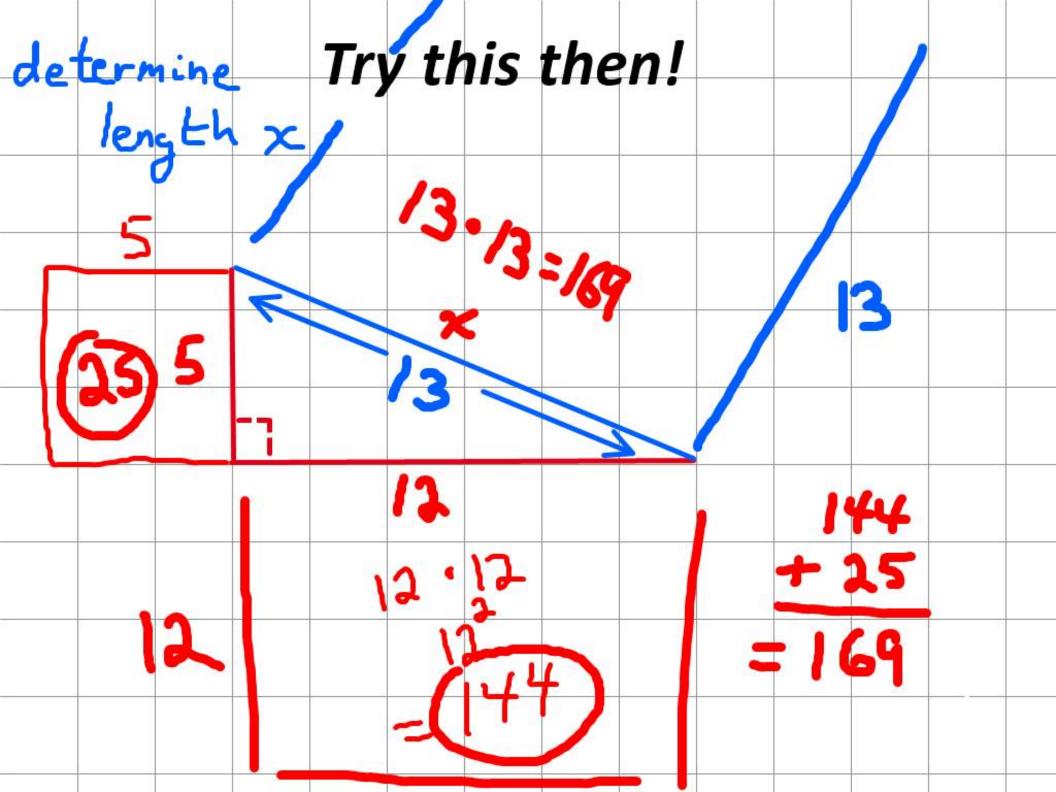




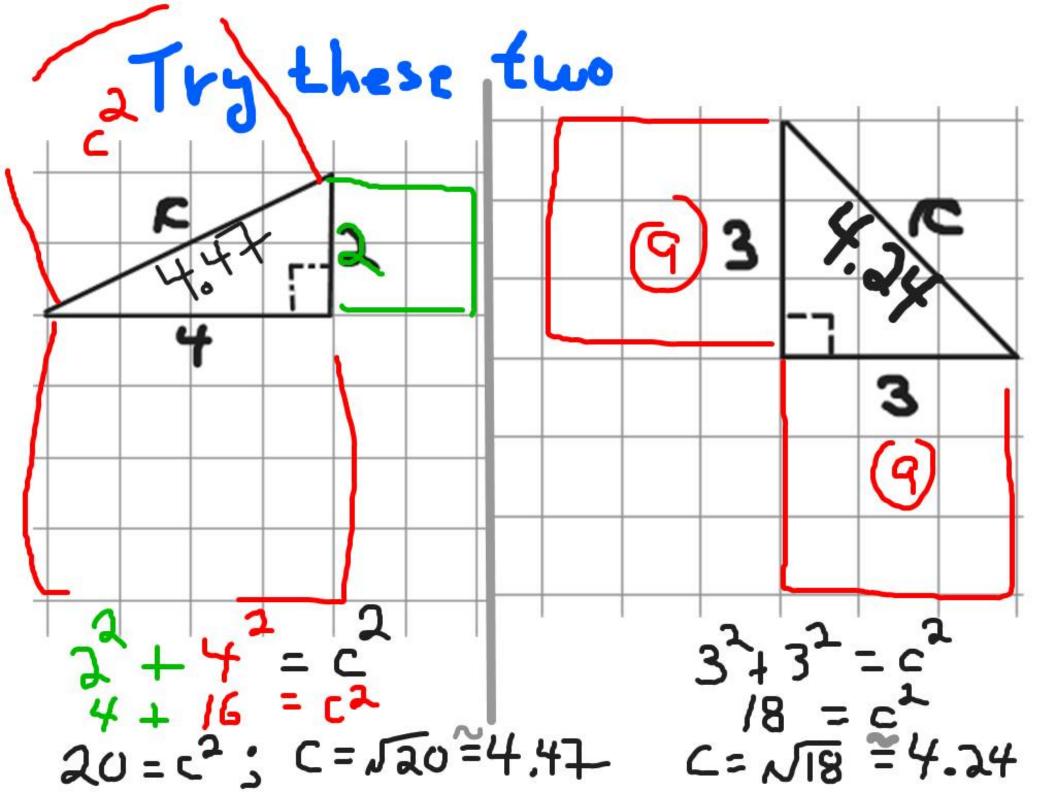
That is it!!!!

"The sum of the squares on the two short sides of a right triangle equals the square on the long side" Why are you still here???

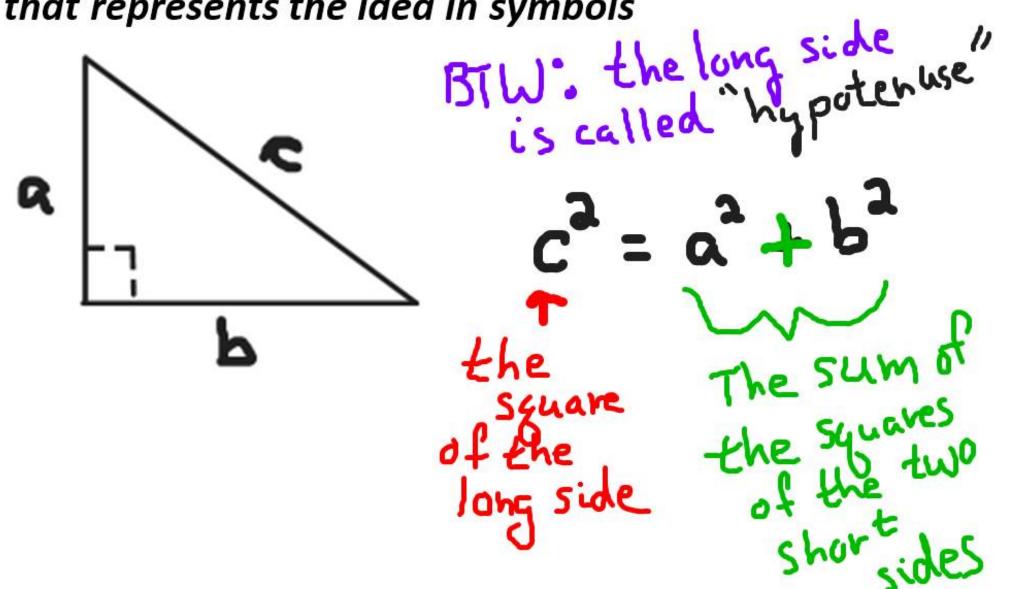
Examples?



How did we know that 13.13, that is 13, eguals 169? We unsquared. J(169) 13 button on calculator



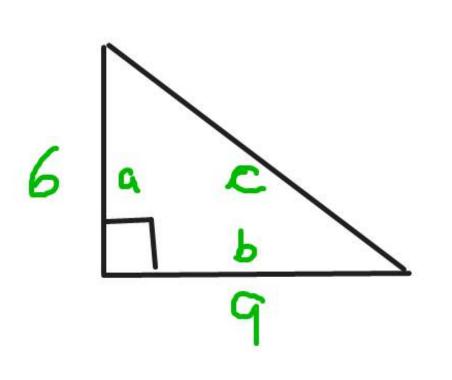
After a while you quit sketching all the squares on the edges of the triangle and just use a secret formula that represents the idea in symbols



"The sum of the squares on the two short sides of a right triangle equals the square on the long side"

"The sum of the squares on the two short sides of a right triangle equals the square on the long side"

times it Write it



$$c^{2} = 6^{2} + 9^{2}$$

$$c^{2} = 36 + 81$$

$$c^{2} = 1/7$$

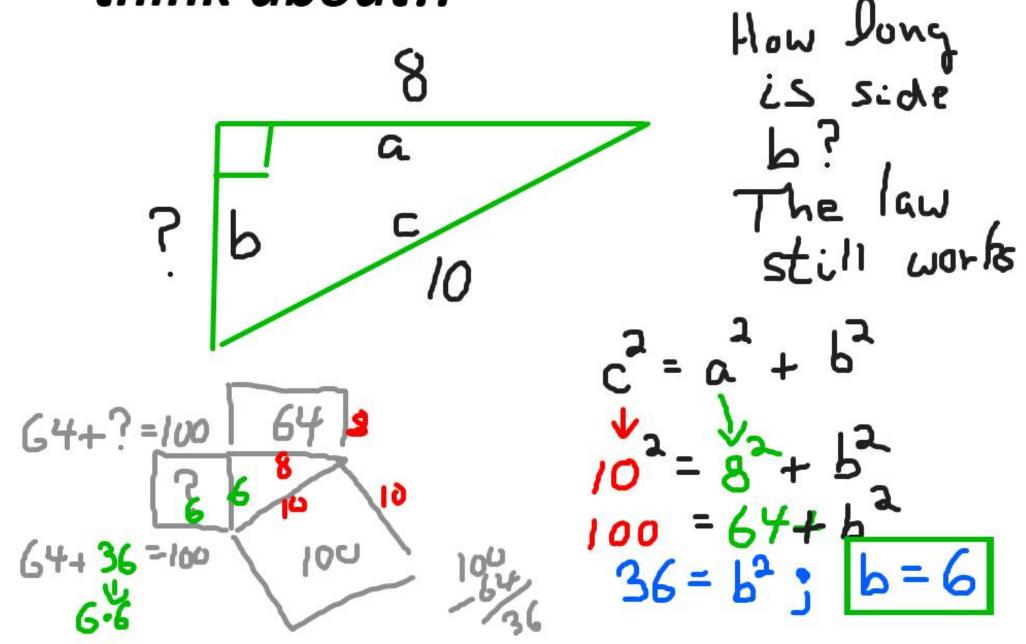
$$c = \sqrt{117}$$

$$c = \sqrt{(117)}$$

$$10.81665383$$

C= 10.82 units long

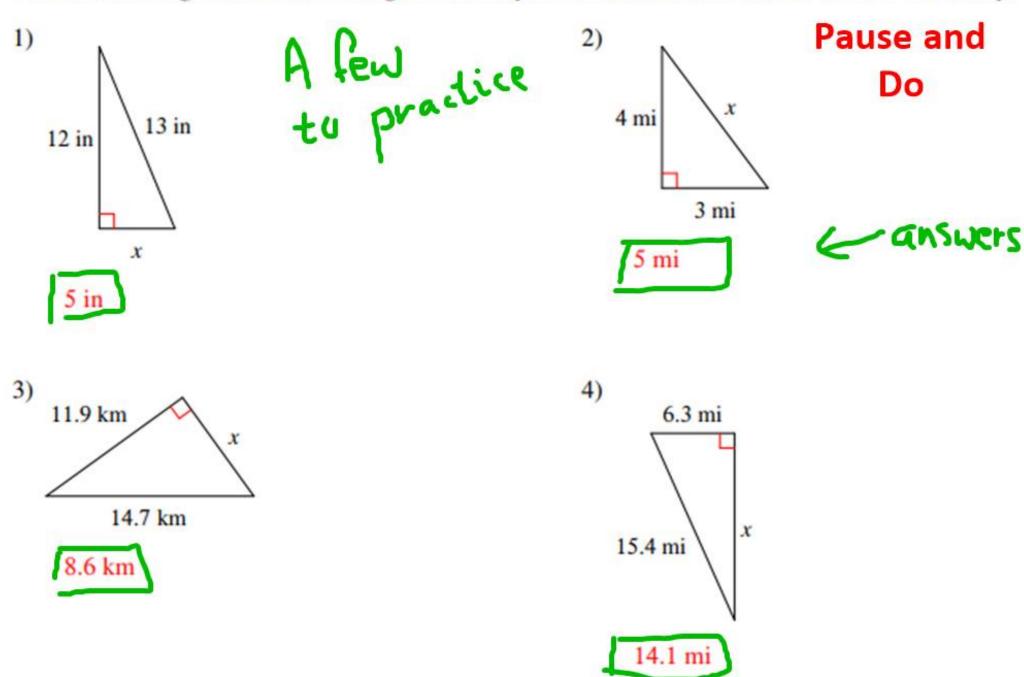
One Last thing to think about!!



Tons more practice

If all the other links and worksheets are still insufficient

Find the missing side of each triangle. Round your answers to the nearest tenth if necessary.



1. If
$$a = 6$$
 and $b = 8$, then $c = 10$.

2. If
$$a = 7$$
 and $b = 24$, then $c = 25$.

3. If
$$a = 5$$
 and $b = 7$, then $c = 8.60$

4. If
$$a = 7$$
 and $b = 9$, then $c = \frac{16.40}{10.40}$

5. If
$$a = 5$$
 and $b = 12$, then $c = _______$

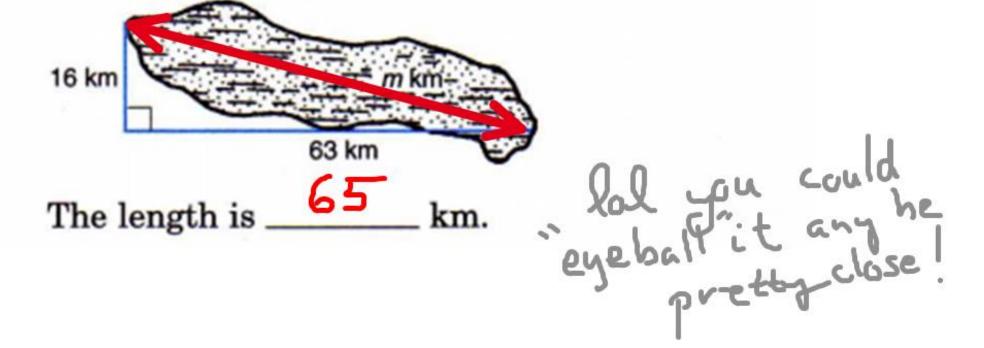
Just always assume the teacher wants the answer rounded to nearest 0.01 as a normal

3. A ship left port and sailed 5 km east and then 7 km north. How far was the ship from the port then?

Pause and Do

The ship was about _____ km from the port.

4. What is the length of the lake shown below?



1. If
$$c = 25$$
 and $a = 24$, then $b =$

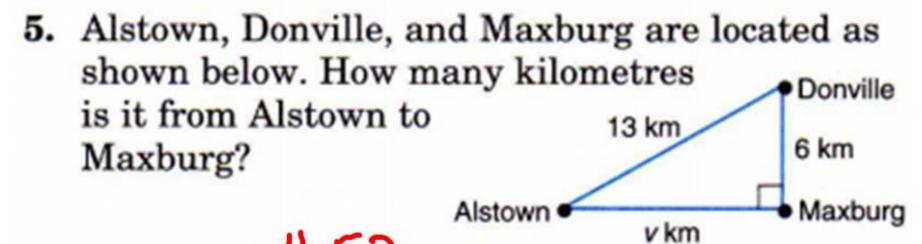
Pause and Do

2. If
$$c = 41$$
 and $b = 40$, then $a =$ _____

3. If
$$c = 61$$
 and $a = 60$, then $b =$ _____

4. If
$$c = 25$$
 and $b = 22$, then $a =$ ______.

5. If
$$c = 26$$
 and $a = 24$, then $b = ______$



It is about _____ km from Alstown to Maxburg.

6. A sail is shaped as shown. How high is the sail?

The sail is _____ m high.

