

GRADE 12 APPLIED DISTINGUISHABLE ARRANGEMENTS

Name: _____

Date: _____

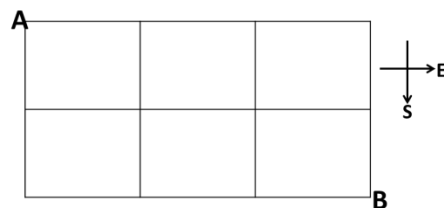
Show work!

$$\text{Distinguishable arrangements of } n \text{ objects} = \frac{n!}{a!b!c!\dots}$$

Where a, b, c are the number of repetitions of each different object

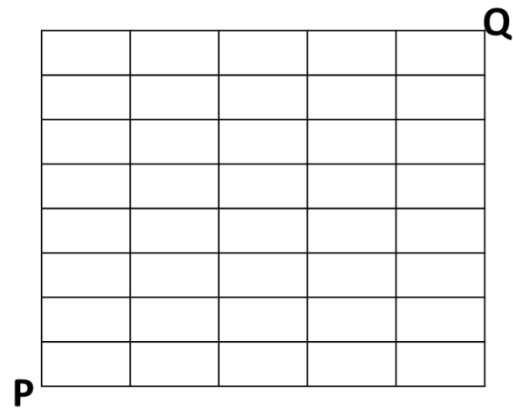
1. Here is a word comprising all different letters: SKYE. How many ways can I arrange all the letters in that word to make other 'words'?
2. Here is a word with two letters the same: RUBBLE. How many 'distinguishable' ways can we re-arrange all those letters to make other words?
3. Here is a word with several repeated letters: ABRACADABRA. How many distinguishable ways can we arrange all those letters to make a new 'word'?
4. Here are some instructions to get from A to B in the city. "You go EAST, EAST, SOUTH, SOUTH, EAST (ie: EESSE) at each intersection"! How many ways can you distinguishably re-arrange these instructions?

5. **Pathways Revisited.** Using the idea from question 4 above, how many different routes can you take to get from A to B?



6. To get from P to Q using only North and East steps:

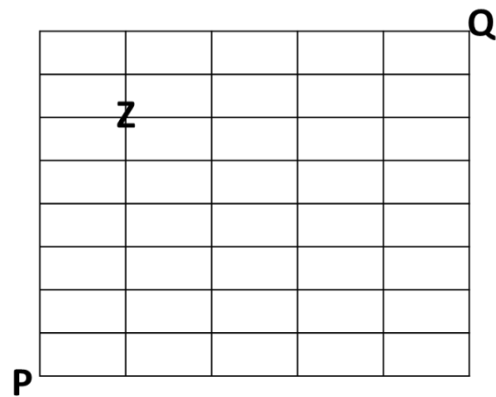
- a. How many total steps (decisions) do you need to take?
- b. How many steps must be to the EAST?
- c. How many steps must be to the NORTH?
- d. How many paths from P to Q using a distinguishable arrangement of instructions?



e. How many paths from P to Q using the PASCAL triangle method of adding up the intersections?

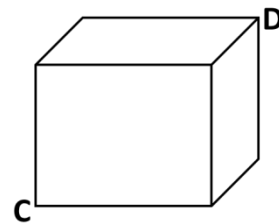
7. If you continually advance from P to Q, calculate:

- a) number of paths from P to Z:
- b) number of paths from Z to Q:
- c) a) above times b) above:
- d) total number of paths from P to Q:
- e) Probability that on any random route from P to Q that you pass through Z?



f) Use the PASCAL triangle method of adding up successive corners to compare your answer for the routes from P to Q that pass through Z

8. How many paths (routes) can a bug take to get from C to D if it must follow an edge of this cube?



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Where a, b, c are the number of repetitions of each different object