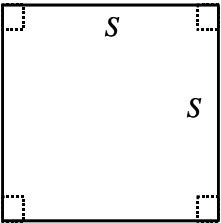
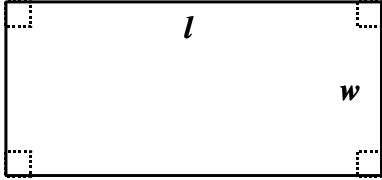
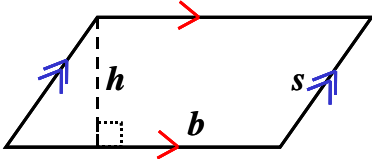
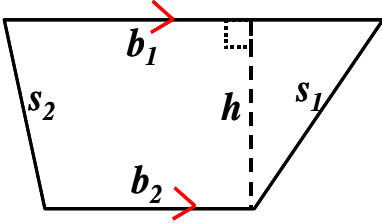


**APPENDIX A
GRADE 10 ESSENTIAL
UNIT D – 2-D GEOMETRY**

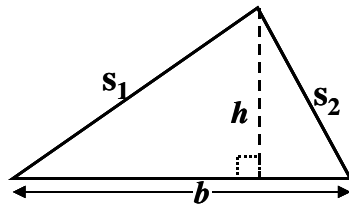
GEOMETRIC FORMULAE

Shape	Diagram	Formulae
FLAT OBJECTS 2 DIMENSIONAL		
<p>Square</p> <p>(all four sides same length, 90° corners)</p> <p>(a rectangle with all sides same length)</p>		<p>Perimeter, P: $P = s + s + s + s = 4*s$</p> <p>Area, A: $A = s * s = s^2$</p>
<p>Rectangle</p> <p>(Four sides, square corners)</p>		<p>Perimeter, P: $P = l + w + l + w = 2l + 2w$</p> <p>Area, A: $A = l * w$</p>
<p>Parallelogram and Rhombus</p> <p>(a leaning rectangle or leaning square)</p> <p>***Note*** b is always \perp to h</p>		<p>Perimeter; P: $P = 2b + 2s$</p> <p>Area; A: $A = b * h$ ***Note*** b is always \perp to h</p>
<p>Trapezoid</p> <p>(Four sides, only two sides parallel { })</p> <p>***Note*** b is always \perp to h</p>		<p>Perimeter; P: $P = b_1 + s_1 + b_2 + s_2$</p> <p>Area; A: $A = b_{\text{average}} * h$ $= \frac{1}{2} (b_1 + b_2) * h$ ***Note*** b is always \perp to h</p>

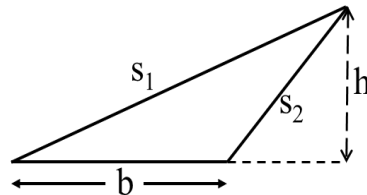
MrF

Triangle

(three sides)

(half a parallelogram or
half a rectangle)

Note

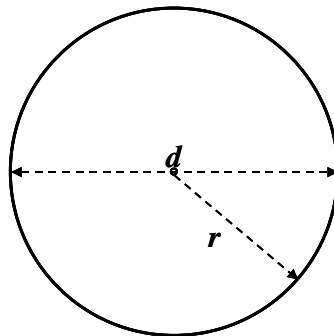
b is always \perp to h
[perpendicular]**Perimeter; P:**

$$P = s_1 + s_2 + b$$

Area; A:

$$A = \frac{1}{2} * b * h$$

Note

b is always \perp to h**Circle****Circumference; C:**

$$C = \pi d = 2\pi r$$

Area; A

$$A = \pi r^2$$

Pythagoras

$$c^2 = a^2 + b^2$$

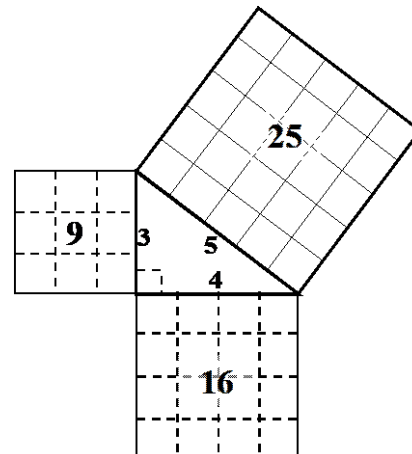
where c is the length of the
hypotenuse and a and b are
the lengths of the shorter
two sides

$$5^2 = 3^2 + 4^2$$

$$25 = 9 + 16$$

or

$$25 - 9 = 16$$



Add your own extra formulae below.